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Quantum matter out of equilibrium pathway to technological breakthrough?

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- Transistor

 (1947, Bardeen, Brattain, and Shockley, 1956 Nobel Prize in Physics)
- Superconductivity

(1911, Kammerlingh-Onnes, 1913 Nobel Prize in Physics; theory: 1957, Bardeen, Cooper, and Schrieffer, 1972 Nobel Prize in Physics)

- High-temperature superconductivity (1986, Bednorz and Müller, 1987 Nobel Prize in Physics)
- Nuclear magnetic resonance (molecules: 1938, Rabi, 1944 Nobel Prize in Physics; solids: 1946, Bloch and Purcell, 1952 Nobel Prize in Physics)
- Magnetic resonance imaging (MRI) (1973, Lauterbur and Mansfield, 2003 Nobel Prize in Physiology or Medicine)

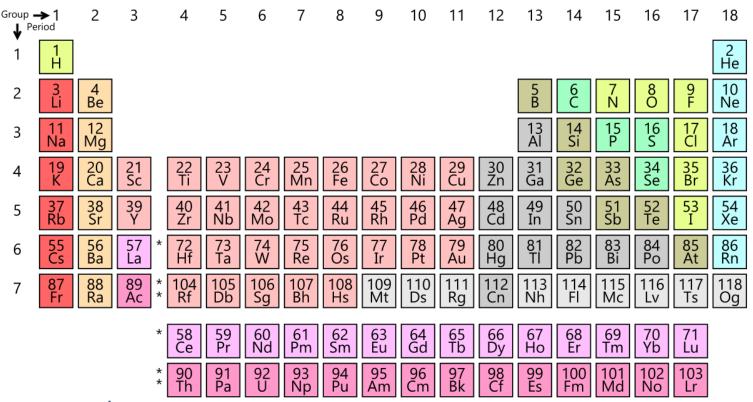


Challenges

- Next-generation electronics
 - ultrafast control
 - miniaturization
- Transformation of energy system
 - new sources of clean energy
 - efficient photovoltaic solar cells
 - improved energy storage and transmission
 - smart technologies for energy savings



silicon solar cell



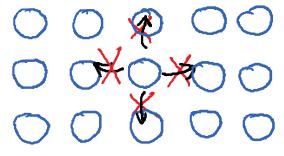
Strongly correlated electronic systems: Quantum Matter

Examples:

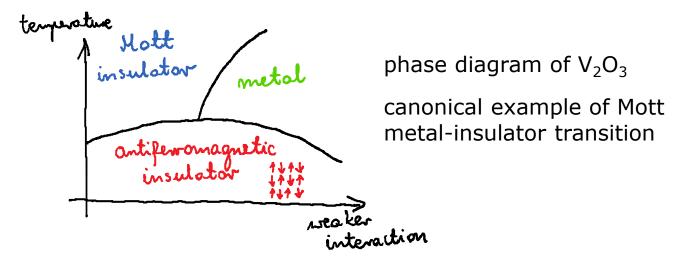
- Mott insulators (transition metal oxides, V_2O_3)
- high-temperature superconductors (cuprates, YBa₂Cu₃O_{7-x})
- heavy-fermion materials (rare-earth and actinide compounds, UGe₂)

Mott insulator

- Theoretical concept: 1937, Nevill F. Mott, 1977 Nobel Prize in Physics (1/3)
- Electrons frozen in their equilibrium positions due to Coulombic repulsion



- No transfer of charge possible
- Transition to metallic state when interaction strength decreased



Mott insulator *out of equilibrium*

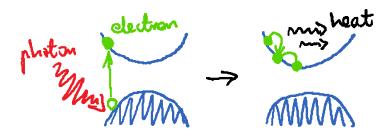
 Control of metal-insulator transitions by electric pulses: possibility to build resistive random-access memory (ReRAM)
 [L. Cario , C. Vaju , B. Corraze , V. Guiot , E. Janod , Adv. Mater., 225193 (2010)]

Metastable hidden quantum states induced by laser pulses: another possibility for ReRAM

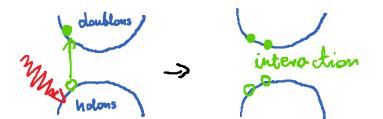
[L. Stojchevska et al., Science 344, 177 (2014)]

 $M_{35} \text{ ps} (10^{-15} \text{ s})$ long lived nonequilibrium state $(~10^{-2} \text{ s})$

 Solar-light driven Mott insulator: efficient photovoltaic device [E. Manousakis, Phys. Rev. B 82, 125109 (2010)]



silicon solar cell

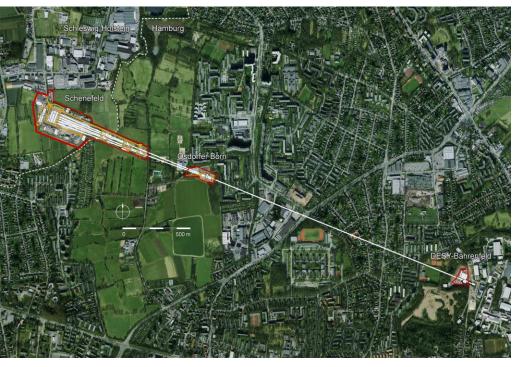


Mott insulator solar cell

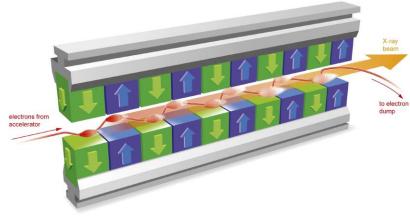
Europen X-Ray Free Electron Laser (XFEL)



- Source of ultrashort and ultra intense X-ray laser pulses
- Enables the study of real-time atomic-scale ultrafast dynamics of complex materials and biomolecules
- Official inauguration: 1 September 2017



total length = 3,4 km electron accelerator: 2,1 km undulators: 125 m, 212 m





Theoretical description: Solving many-body quantum problem

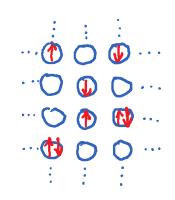
- Classical systems can be only in one state at a time
- Quantum systems can be in a superposition of many different states

$$\psi(t) = \sum_{i}^{M} c_i(t) \phi_i$$

Goal: find probability amplitudes $c_i(t)$ by solving Schrödinger equation

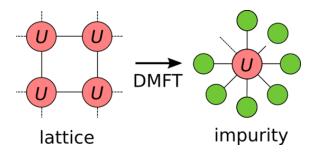
$$i\frac{\partial}{\partial t}\psi(t) = H(t)\psi(t)$$

- In practice infeasible: example Hubbard model
 - each site can be in one of 4 states:
 - empty 🔿
 - occupied by spin-up electron (^{*})
 - occupied by spin-down electron 🗘
 - whole system of N sites can be in $M = 4^N$ states
 - $N = 10^{23}$, then $M = 4^{10^{23}} \gg 10^{80}$ number of atoms in the Universe



Theoretical description: approximations needed

- By neglecting interactions the electronic wavefunction factorizes: single-electron instead of many-electron problem (-> DFT)
- Not possible for strongly correlated systems: do some kind of mean field theory instead (-> DMFT)

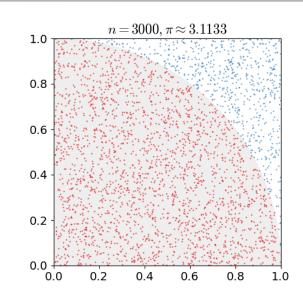


- Now solve the impurity problem: electrons interact only on the central site
- Idea:
 - solve the central site (M = 4) and bath (single-particle) separately
 - find the correction to the result for the full system by summing up all Feynman diagrams
 - there are too many Feynman diagrams to do this diagram-by-diagram
 - select diagrams randomly based on their importance: Monte Carlo

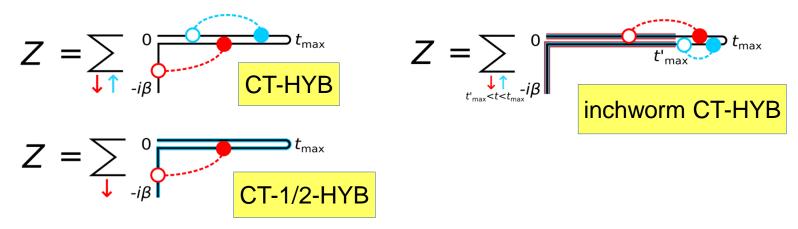
Quantum Monte Carlo

- Monte Carlo: stochastic way to evaluate integrals
- Example: area of a circle

$$f(x, y) = \begin{cases} 1\\0\\ \int_0^1 dx \int_0^1 dy f(x, y) = \frac{\pi}{4} \end{cases}$$



Quantum Monte Carlo: stochastic way to sum Feynman diagrams



Summary

- Quantum physics underlies many of the modern technologies
 - electronics
 - medical imaging (MRI)
- Strongly correlated electronic systems
 - fascinating macroscopic quantum phenomena (Mott insulators, high-temperaturę superconductors, ...)
 - theoretical description challenging
 - possibilities for technological applications
- Nonequilibrium physics is an active field of research
 - European XFEL in Hamburg

Thank you for your attention!

References (for experts):

- H. Aoki et al., Nonequilibrium dynamical mean-field theory and its applications, Rev. Mod. Phys. 86, 779 (2014)
- E. Gull et al., Continuous-time Monte Carlo methods for quantum impurity models, Rev. Mod. Phys. 83, 349 (2011)
- E. Janod et al., Resistive Switching in Mott Insulators and Correlated Systems, Adv. Funct. Mater. 25, 6287 (2015)

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